### CHAPTER THREE

# Bipolar Junction Transistors

Digital flectronics.

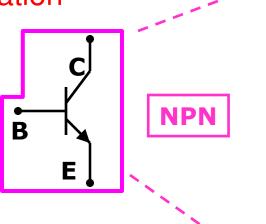
#### Introduction

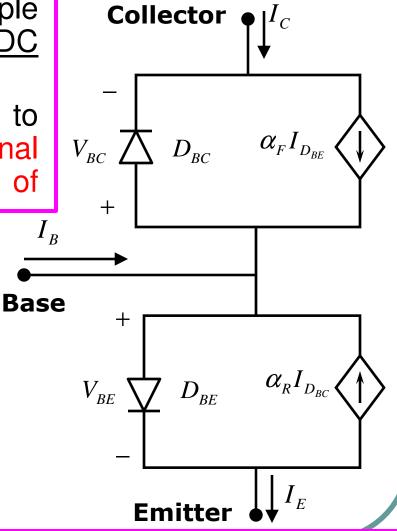
- This chapter describes:
  - Ebers-Moll BJT model
  - BJT modes of operation

Skip sections 3.1-3.5

 Ebers-Moll model is a simple model that represents the <u>DC</u> operation of a BJT

This model can be used to calculate the terminal currents for all modes of operation





The Base-Emitter junction is

represented by
$$I_{D_{BE}}(V_{BE}) = I_{ES}\left(\exp\left\{\frac{V_{BE}}{\phi_T}\right\} - 1\right)$$

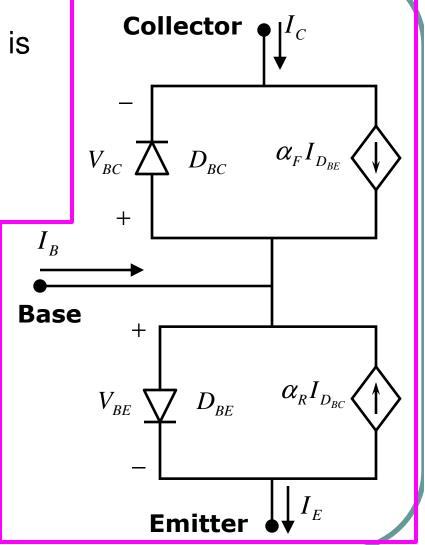
I<sub>DBE</sub> consists of electrons emitted from the emitter through the base toward the collector(current is opposite). A fraction of these electrons reach the collector and represented

$$\alpha_F I_{D_{BE}} = \alpha_F I_{ES} \left( \exp \left\{ \frac{V_{BE}}{\phi_T} \right\} - 1 \right)$$

 $0.98 \le \alpha_F \le 0.999$  Common-base forward current gain

Ε

В

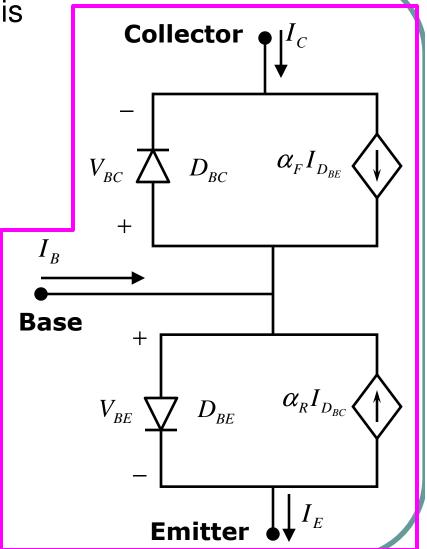


The Base-Collector junction is represented by

$$I_{D_{BC}}(V_{BC}) = I_{CS}\left(\exp\left\{\frac{V_{BC}}{\phi_T}\right\} - 1\right)$$

I<sub>DBC</sub> consists of electrons emitted from the collector through the base toward the emitter (current is opposite). A fraction of these electrons reach the emitter and represented

$$\alpha_{\scriptscriptstyle R} I_{\scriptscriptstyle D_{\scriptscriptstyle BC}} = \alpha_{\scriptscriptstyle R} I_{\scriptscriptstyle CS} \left( \exp\left\{ \frac{V_{\scriptscriptstyle BC}}{\phi_{\scriptscriptstyle L}} \right\} - 1 \right)$$
 
$$0.2 \leq \alpha_{\scriptscriptstyle R} \leq 0.6 \quad \text{Common-base reverse}$$
 current gain



3

Ε

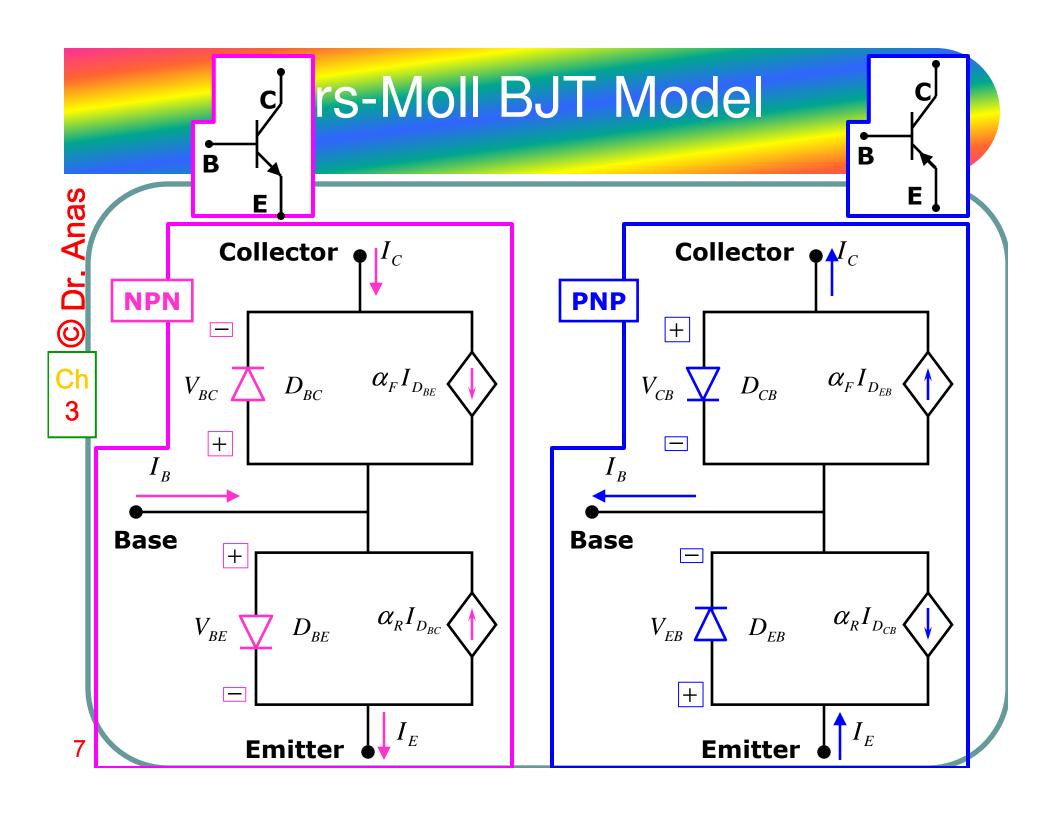
$$I_{E} = I_{ES} \left( \exp \left\{ \frac{V_{BE}}{\phi_{T}} \right\} - 1 \right) - \alpha_{R} I_{CS} \left( \exp \left\{ \frac{V_{BC}}{\phi_{T}} \right\} - 1 \right)$$

and

$$I_{C} = -I_{CS} \left( \exp \left\{ \frac{V_{BC}}{\phi_{T}} \right\} - 1 \right) + \alpha_{F} I_{ES} \left( \exp \left\{ \frac{V_{BE}}{\phi_{T}} \right\} - 1 \right)$$

and

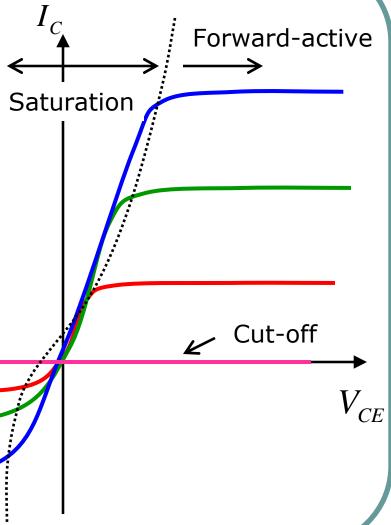
$$I_B = I_E - I_C$$



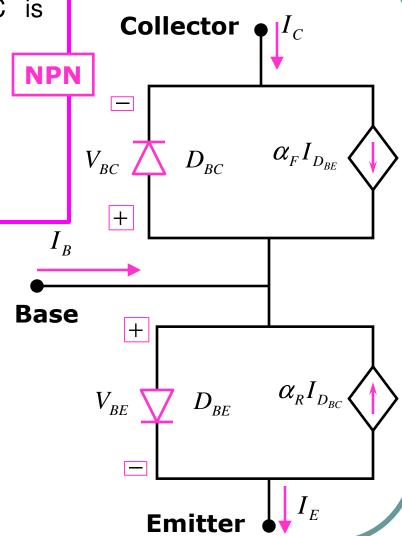
### Two junctions (B-E and B-C) result in <u>four</u> modes of operation

- B-E is reverse-biased & B-C is reverse biased (Cut-off mode)
- B-E is forward-biased & B-C is reverse biased (Forward-active mode)
- 3. B-E is reverse-biased & B-C is forward biased (Inverse-active mode)
- B-E is forward-biased & B-C is forward biased (Saturation mode)

← ← Inverse-active



 B-E is reverse-biased & B-C is reverse biased (Cut-off mode)



1. B-E is reverse-biased & B-C is reverse biased (Cut-off mode)

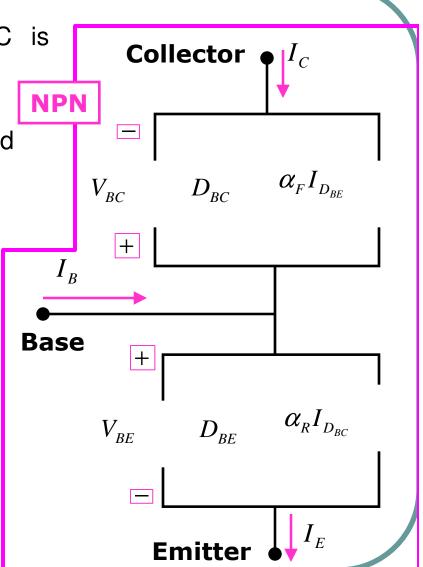
Both  $D_{BE}$  and  $D_{BC}$  are reverse-biased

Both  $I_{DBE}$  and  $I_{DBC}$  are Zero

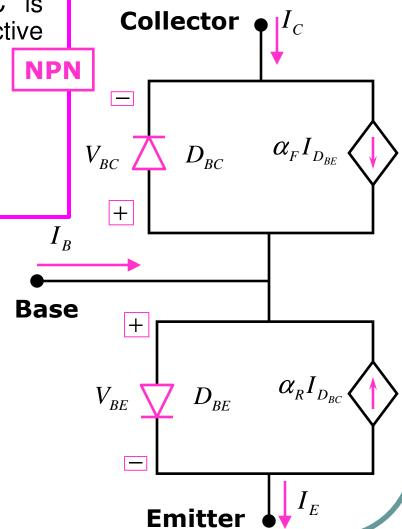
$$I_E \approx 0$$

$$I_C \approx 0$$

$$I_B \approx 0$$



B-E is forward-biased & B-C is reverse biased (Forward active mode)



 B-E is forward-biased & B-C is reverse biased (Forward active mode)

Both  $D_{BE}$  is forward biased with  $V_{BE}$ =0.7 V (*silicon diodes*) while  $D_{BC}$  is reverse-biased (open)

i.e. I<sub>DBC</sub> is Zero

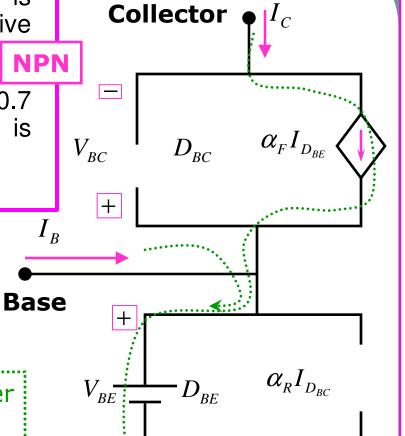
$$V_{BE}(F.A.) = 0.7V$$

$$I_C = \alpha_F I_{D_{BE}} = \alpha_F I_E = I_E - I_B$$

$$I_E = \frac{I_B}{1 - \alpha_E}$$

 $I_C = \alpha_F \left( \frac{I_B}{I_B} \right) = \beta_F I_B$ 

Common-emitter current gain



B-E is forward-biased & B-C is 3. Collector  $\bullet I_C$ forward biased (Saturation mode) **NPN**  $\alpha_{\scriptscriptstyle F} I_{\scriptscriptstyle D_{\scriptscriptstyle BE}}$  $V_{BC}$  $D_{BC}$ + **Base** +  $\alpha_{\scriptscriptstyle R} I_{\scriptscriptstyle D_{\scriptscriptstyle BC}}$  $V_{{\scriptscriptstyle BE}}$  $D_{BE}$ **Emitter** 

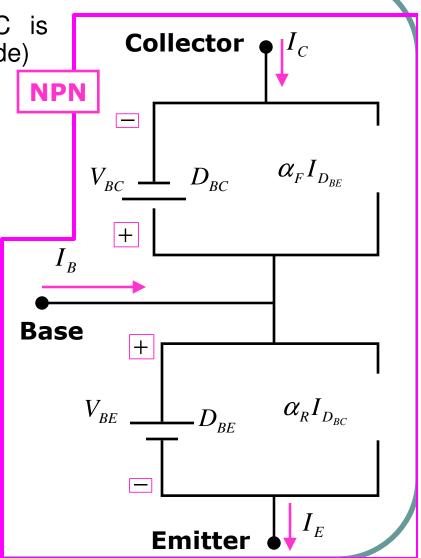
3. B-E is forward-biased & B-C is forward biased (Saturation mode)

$$V_{BE}(sat) = 0.8V$$

$$V_{BC}(sat) = 0.6V$$

$$V_{CF}(sat) = 0.2V$$

$$\sigma = \frac{I_C}{\beta_F I_B} = \begin{cases} 1: F.A. \\ < 1: Sat. \end{cases}$$



B-E is reverse-biased & B-C is forward biased (Inverse-active mode)

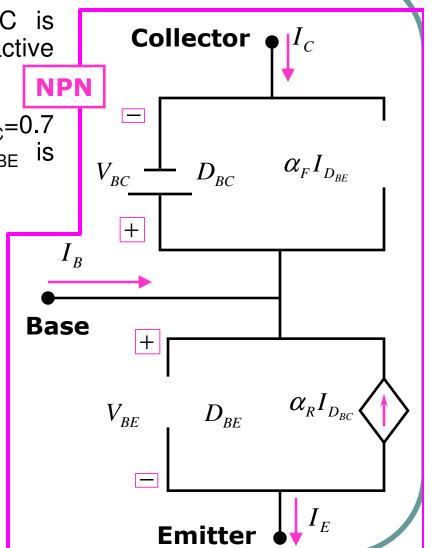
Both  $D_{BC}$  is forward biased with  $V_{BC}$ =0.7 V (*silicon diodes*) while  $D_{BE}$  is reverse-biased (open)

i.e. I<sub>DBE</sub> is Zero

$$V_{RC}(R.A.) = 0.7V$$

$$I_E = -\alpha_R I_C = -\frac{\beta_R}{\beta_R + 1} I_C$$

$$\beta_{R} << \beta_{F}$$



HW #3:Solve Problems: 3.8, 3.9, 3.14